

Marietta City Schools

2025–2026 District Unit Planner

Accelerated Grade 7/8 Mathematics

Unit title Unit 1: Investigating Probability MYP year 2 Unit duration (hrs) 22.5 hours

Mastering Content and Skills through INQUIRY (Establishing the purpose of the Unit): What will students learn?

GA DoE Standards

Standards

Gifted Strand 2: Creative Thinking Skills: Students will develop and utilize creative thinking through a variety of products and problem solving.

Gifted Strand 3: Higher Order Thinking and Problem Solving Skills: Students will develop and utilize critical thinking, higher order thinking, logical thinking and problem solving skills in various situations.

Gifted Strand 4: Advanced Communication and Collaboration Skills: Students will develop advanced communication and collaboration skills in working toward a common goal with shared accountability for the final outcome.

7.PR.6 Using mathematical reasoning, investigate chance processes and develop, evaluate, and use probability models to find probabilities of simple events presented in authentic situations.

| Expectations | | Evidence of Student Learning (not all inclusive; see Grade Level Overview for more details) | | |
|--------------|---|--|---|--|
| 7.PR.6.1 | Represent the probability of a chance event as a number between 0 and 1 that expresses the likelihood of the event occurring. Describe that a probability near 0 indicates an unlikely event, a probability around $\frac{1}{2}$ indicates an event that is neither unlikely nor likely, and a probability near 1 indicates a likely event. | Strategies and Methods Students should be able to represent the probability as a fraction, decimal numbers, or percentage. | Terminology Descriptions may include impossible, unlikely, equally likely, likely, and certain. | |
| 7.PR.6.2 | Approximate the probability of a chance event by collecting data on an event and observing its long-run relative frequency will approach the theoretical probability. | Strategies and Methods Students should be able to predict the approximate, relative frequency given the theoretical probability. | When rolling a number cube 600 times, predict that a 3 or 6 would be rolled roughly 200 times, but probably not exactly 200 times. | |
| 7.PR.6.3 | Develop a probability model and use it to find probabilities of simple events. Compare experimental and theoretical probabilities of events. If the probabilities are not close, explain possible sources of the discrepancy. | Probability models may include various random generation devices including, but not limited to, bag pulls, spinners, number cubes, coin toss, and colored chips. Students should have multiple opportunities to collect data using physical objects, graphing calculators, or web-based simulations. | Kim calculates the probability of landing on heads when tossing a coin to be 50%. She uses this to predict that when Tiffany tosses a coin 20 times, the coin will land on heads 10 times. When Tiffany performed the experiment, the coin landed on heads 7 times. Explain possible reasons why Kim's prediction and Tiffany's results do not match. | |

| 7.PR.6.4 | Develop a uniform probability model by assigning equal probability to all outcomes and use the model to determine probabilities of events. | If a student is selected at ra | andom from a class, find the probability a student with long hair will be selected. |
|----------|---|---|---|
| 7.PR.6.5 | Develop a probability model (which may not be uniform) by observing frequencies in data generated from a chance process. | Uniform probability models are those where the likelihood of each outcome is equal. | Find the approximate probability of each outcome in a spinner with unequal sections. Find the approximate probability that a spinning penny will land heads up or that a tossed paper cup will land open-end down. Do the outcomes for the spinning penny appear to be equally likely based on the observed frequencies? |
| 7.PR.6.6 | Use appropriate graphical displays and numerical summaries from data distributions with categorical or quantitative (numerical) variables as probability models to draw | Strategies and Methods Students should use side by side bar graphs or segmented bar graphs to compare categorical data distributions | Age/Developmentally Appropriate Limit category counts to be less than or equal to ten. Example Compare the heights of the basketball and the tennis teams. |

informal inferences about two samples or

populations.

| of samples from two | • | Limit quantitative variables | Basketba | all team's heights (in inches): 72, 75, | |
|--|---|------------------------------|-----------|---|--|
| populations. | | to less than or equal to 20. | 76, 76, 7 | 79, 79, 80, 80, 81, 81, 81 | |
| Students should compare data | | | | | |
| of two samples or populations | | | Tennis to | eam's height (in inches): | |
| displayed in box plots and dot | | | 67, 67, 6 | 58, 70, 70, 71, 72, 75, 76, 76, 77 | |
| plots to make inferences using | | | | | |
| probabilistic reasoning. | | | 1) | How much taller is the basketball | |
| Students should be able to | l | | | team than the tennis team? | |
| draw inferences using | | | | | |

| 7.MP: Display perseverance and patie collaboration and expression. Seek he | | skills and strategies needed to succee or goals. | d in mathematics, including critical thi | inking, reasoning, and effective | | |
|--|---|--|--|----------------------------------|--|--|
| Concepts/Skills to support mastery of | Concepts/Skills to support mastery of standards | | | | | |
| Represent the probability of a chance event between 0 and 1. (PR. 6.1) Approximate the probability by observing its long-run relative frequency. (PR.6.2) Compare experimental and theoretical probabilities of events. (PR.6.3) Develop a uniform probability and determine probabilities of events (PR.6.4) Develop a probability model by observing frequencies. (PR.6.5) Draw inferences about two samples or populations from different graphical displays. (PR.6.6) | | | | | | |
| Vocabulary | | | | | | |
| Probability | Theoretical probability | Simple Event | Relative Frequency | Experimental Probability | | |
| Sample | Population | Uniform Probability | | | | |
| <u>Notation</u> | | | | | | |

| Key concept | Related concept(s) | Global context |
|-------------|--------------------------------------|--------------------------|
| Logic | Justification, Model, Generalization | Fairness and Development |

Statement of inquiry

Decisions reached through logic may not always reflect beliefs about fairness.

Inquiry questions

Factual— What is probability? What is a sample space?

Conceptual—How do we calculate the probability of an event? What are the different ways to show possible outcomes? Why must the sample space always have a sum of 1?

Debatable—Should experimental and theoretical have the same outcome?

| MYP Objectives | Assessment Tasks | |
|---|---|--|
| What specific MYP objectives will be addressed during this unit? | Relationship between summative assessment task(s) and statement of inquiry: | List of common formative and summative assessments. |
| Criterion A: Knowing and Understanding Criterion C: Communication in Mathematics | Students will investigate chance processes and develop, use, and evaluate probability models. | Formative Assessment(s): Unit 1 CFA Summative Assessment(s): Unit 6: Probability MYP:Topic 7 Performance Assessment Form B |

Approaches to learning (ATL)

Category: Social

Cluster: Collaboration Skills

| Skills Indicator: Give and receive meaningful feedback |
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| |
| Category: Self-management |
| Cluster: Organization, Affective, & Reflection Skills |
| Skills Indicator: Keep an organized and logical system of information files/notebooks |

| | Learning | Experiences |
|--|----------|--------------------|
|--|----------|--------------------|

Add additional rows below as needed.

| Objective or Content | Learning Experiences | Personalized Learning and Differentiation |
|---|--|--|
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| 7.PR.6.6 Use appropriate graphical displays and numerical summaries from data distributions with categorical or quantitative (numerical) variables as probability models to draw informal inferences about two samples or populations. | Making Inferences - (Student Reproducibles) In this learning plan, students learn how to use "variability" to compare and describe sets of data. Students will create those sets of data themselves by completing estimation tasks as a class. | Chunk this task into more manageable parts (e.g., presenting one question at a time), which will aid students who benefit from support with organizational skills in problem solving. Consider having students record how to find the mean absolute deviation in their notebooks for future reference. |

| Design Cycle Transdisciplinary | Inquiring and Analyzing Developing Ideas Creating a Solution Evaluation | |
|--------------------------------|---|--|
|--------------------------------|---|--|

Content Resources

6-11 Savvas Correlation to 2021 standards

Intervention Tasks

-Investigate simple situations that involve elements of chance by comparing experimental and theoretical probabilities.

Card Game (7.PR.6.2 and 7.PR.6.5))

Other Resources

- Savvas
- Desmos
- Hands-On Math
- GaDOE Unit 1 Curriculum Map