Do	Domain The Number System		
Clu	ster Know that there are numbers that are not rational, and	Pacing	
	approximate them by rational numbers.	1st Quarter	
Sta	Indards	Content Elaborations	
1.	 Know that numbers that are not rational are called irrational. Understand informally that every number has a decimal expansion; for rational numbers show that the decimal expansion repeats eventually, and convert a decimal expansion which repeats eventually into a rational number. Learning Targets: I can identify and apply various algebraic properties (1-1, 1-2, 2-7, 2-8) (associative, commutative, identity, and inverse). I can write an algebraic expression using variables to describe patterns (1-2, 1-3). I can identify numbers and classify them within the real-number system (1-4) 	 Standards of Mathematical Practice <i>Mathematically proficient students:</i> Make sense of problems and persevere in solving them. Reason abstractly and quantitatively. Construct viable arguments and critique the reasoning of others. Model with mathematics Use appropriate tools strategically. Attend to precision. Look for and make use of structure. Look for and express regularity in repeated reasoning. From the K-8 Math Standards Progression. 	
	 (1-4). I can apply the distributive property to do mental math (2-1). I can simplify expressions using the distributive property and combining like terms (2-1). I can represent real-life scenarios using algebraic expressions and equations (2-8). I can make and/or interpret a table or graph in order to find the solution to an equation (3-1, 3-2, 4-3). I can write equations to represent and solve real-world situations (3-2, 2-2, 5-4, 2-4, 4, 4). 	 Examples of Key Advances from Grade 7 to Grade 8 Students build on previous work with proportional relationships, unit rates, and graphing to connect these ideas and understand that the points (x, y) on a nonvertical line are the solutions of the equation y = mx + b, where m is the slope of the line as well as the unit rate of a proportional relationship (in the case b = 0). Students also formalize their previous work with linear relationships by working with functions – rules that assign to each input exactly one output. By working with equations such as x2 = 2 and in geometric contexts such 	
2.	3-3, 3-5, 4-3, 4-4). Use rational approximations of irrational numbers to compare the size of irrational numbers, locate them approximately on a number line diagram, and estimate the value of expressions (e.g., v2). For example, by truncating the decimal expansion of v2, show that v2 is between 1 and 2, then between 1.4 and 1.5, and explain how to continue on to get better approximations.	 By working with equations such as x2 = 2 and in geometric contexts such as the Pythagorean theorem, students enlarge their concept of number beyond the system of rationals to include irrational numbers. They represent these numbers with radical expressions and approximate these numbers with rationals. Fluency Expectations or Examples of Culminating Standards 8.EE.7 Students have been working informally with one-variable linear 	

 Learning Targets: I can use reasoning to determine between which two consecutive integers a square root will fall. I can plot the estimated value of an irrational number on a number line. I can estimate the value of an irrational number by rounding to a specific place value. I can use estimated values to compare two or more irrational numbers. 	 equations since as early as kindergarten. This important line of development culminates in grade 8 with the solution of general one-variable linear equations, including cases with infinitely many solutions or no solutions as well as cases requiring algebraic manipulation using properties of operations. Coefficients and constants in these equations may be any rational numbers. 8.G.9 When students learn to solve problems involving volumes of cones, cylinders, and spheres – together with their previous grade 7 work in angle measure, area, surface area, and volume (7.G.4-6) – they will have acquired a well-developed set of geometric measurement skills. These skills, along with proportional reasoning (7.RP) and multistep numerical problem solving (7.EE.3), can be combined and used in flexible ways as part of modeling during high school – not to mention after high school for college and careers.
Content Vocabulary	Academic Vocabulary
rational number	• simplify
Irrational number	 identify interpret
Formative Assessments	Summative Assessments
 performance tasks 	Teacher created assessments
• pretests	• PARCC
• interviews	
• quizzes	
Resources	Enrichment Strategies
UCSMP Algebra, Geometry	
 PARCC Model Content Frameworks 	
Integrations	Intervention Strategies

Domain Expressions and Equations		
Clu	uster Work with radicals and integer exponents.	Pacing
		1st Quarter
Standards		Content Elaborations
1.	Know and apply the properties of integer exponents to generate	Standards of Mathematical Practice
	equivalent numerical expressions.	Mathematically proficient students
	For example, 32 x 3-5 = 3-3 = 1/33 = 1/27.	1. Make sense of problems and persevere in solving them.
	Learning Targets:	2. Reason abstractly and quantitatively.
	 I can determine the properties of integer exponents by exploring 	3. Construct viable arguments and critique the reasoning of others.
	patterns and applying my understanding of properties of whole number	4. Model with mathematics
	exponents.	5. Use appropriate tools strategically.
	• I can use the properties of integer exponents to simplify expressions.	6. Attend to precision.
		7. Look for and make use of structure.
2.	Use square root and cube root symbols to represent solutions to	8. Look for and express regularity in repeated reasoning.
	equations of the form x ² = p and x ³ = p, where p is a positive rational	From the K-8 Math Standards Progression.
	number. Evaluate square roots of small perfect squares and cube roots of	
	small perfect cubes. Know that V2 is irrational.	Examples of Key Advances from Grade 7 to Grade 8
	Learning Targets:	• Students build on previous work with proportional relationships, unit
	• I can recognize that taking a square root of a number is the inverse of	rates, and graphing to connect these ideas and understand that the points
	squaring a number.	(x, y) on a nonvertical line are the solutions of the equation $y = mx + b$,
	• I can recognize that taking a cube root of a number is the inverse of	where m is the slope of the line as well as the unit rate of a proportional
	cubing a number.	relationship (in the case b = 0). Students also formalize their previous
	 I can evaluate the square root of a perfect square. 	work with linear relationships by working with functions – rules that
	 I can evaluate the cube root of a perfect cube. 	assign to each input exactly one output.
	• I can justify that the square root of a non-perfect square will be	• By working with equations such as x2 = 2 and in geometric contexts such
		as the Pythagorean theorem, students enlarge their concept of number
3.	Use numbers expressed in the form of a sinale diait times an integer	beyond the system of rationals to include irrational numbers. They
•	power of 10 to estimate very large or very small quantities, and to	represent these numbers with radical expressions and approximate these
	express how many times as much one is than the other.	numbers with rationals.
	For example, estimate the population of the United States as 3 x 108 and	Fluency Expectations on Exemples of Culminsting Standards
	the population of the world as 7 x 109, and determine that the world	Fluency expectations of Examples of Culminating Standards
	population is more than 20 times larger.	8.EE.7 Students have been working informally with one-variable linear
		equations since as early as kindergarten. This important line of

4. P in U p	 Learning Targets: I can estimate large and small numbers using scientific notation. I can compare quantities that are written in scientific notation without using technology. Perform operations with numbers expressed in scientific notation, including problems where both decimal and scientific notation are used. Use scientific notation and choose units of appropriate size for measurements of very large or very small quantities (e.g., use millimeters per year for seafloor spreading). Interpret scientific notation that has been generated by technology. 	 development culminates in grade 8 with the solution of general one-variable linear equations, including cases with infinitely many solutions or no solutions as well as cases requiring algebraic manipulation using properties of operations. Coefficients and constants in these equations may be any rational numbers. 8.G.9 When students learn to solve problems involving volumes of cones, cylinders, and spheres – together with their previous grade 7 work in angle measure, area, surface area, and volume (7.G.4-6) – they will have acquired a well-developed set of geometric measurement skills. These skills, along with proportional reasoning (7.RP) and multistep numerical problem solving (7.EE.3), can be combined and used in flexible ways as
	 Learning Targets: I can add and subtract two numbers written in scientific notation. I can multiply and divide two numbers written in scientific notation. I can choose an appropriate unit for measurements dealing with scientific notation. I can understand scientific notation represented on various types of technology; i.e., calculators and computer software. 	part of modeling during high school – not to mention after high school for college and careers.
Со	ntent Vocabulary	Academic Vocabulary
	 integer exponent perfect square perfect cube irrational square square root radical 	• evaluate
For	mative Assessments	Summative Assessments
	 performance tasks pretests interviews quizzes 	 PARCC
Res	 OUCSMP Algebra, Geometry Websites PARCC Model Content Frameworks 	Enrichment Strategies

Integrations	Intervention Strategies

Domain Expressions and Equations		Expressions and Equations		
Clu	ıster	Understand the connections between proportional relationships, lines, and linear equations.	Pacing	
			2nd Quarter	
Sta	andards		Content Elaborations	
<i>5.</i>	Graph, of the g represe For exc to dete Learnin • I can of tl • I can prop Use sin two dis the equ + b for Learnin • I can prop Use sin two dis the equ + b for	proportional relationships, interpreting the unit rate as the slope graph. Compare two different proportional relationships ented in different ways. ample, compare a distance-time graph to a distance-time equation ermine which of two moving objects has greater speed. ng Targets: n graph a proportional relationship on the coordinate plane. n interpret the unit rate of a proportional relationship as the slope he graph. n justify that the graph of a proportional relationship will always ersect the origin (0, 0). n use a graph, a table, or an equation to determine the unit rate of a portional relationship and use the unit rate to make comparisons. milar triangles to explain why the slope m is the same between any stinct points on a non-vertical line in the coordinate plane; derive uation y = mx for a line through the origin and the equation y = mx a line intercepting the vertical axis at b. ng Targets: n create right triangles by drawing a horizontal line segment and a tical line segment from any two points on a non-vertical line in the rdinate plane. n justify that these right triangles are similar by comparing the ratios he lengths of the corresponding legs. n justify that since the triangles are similar, the ratios of all responding hypotenuses, representing the slope of the line, will be ivalent.	 Standards of Mathematical Practice Mathematically proficient students: Make sense of problems and persevere in solving them. Reason abstractly and quantitatively. Construct viable arguments and critique the reasoning of others. Model with mathematics Use appropriate tools strategically. Attend to precision. Look for and make use of structure. Look for and express regularity in repeated reasoning. From the K-8 Math Standards Progression. Examples of Key Advances from Grade 7 to Grade 8 Students build on previous work with proportional relationships, unit rates, and graphing to connect these ideas and understand that the points (x, y) on a nonvertical line are the solutions of the equation y = mx + b, where m is the slope of the line as well as the unit rate of a proportional relationship (in the case b = 0). Students also formalize their previous work with linear relationships by working with functions – rules that assign to each input exactly one output. By working with equations such as x2 = 2 and in geometric contexts such as the Pythagorean theorem, students enlarge their concept of number beyond the system of rationals to include irrational numbers. They represent these numbers with radical expressions and approximate these numbers with rationals. 	
	• I cai	n justify that an equation in the form y = mx will represent the graph	9 FF 7 Students have been working informally with one veriable linear	
			8.EE.7 Students have been working informally with one-variable linear	

 of a proportional relationship with a slope of m and a y-intercept of 0. I can justify that an equation in the form of y = mx + b represents the graph of a linear relationship with a slope of m and a y-intercept of b. 	 equations since as early as kindergarten. This important line of development culminates in grade 8 with the solution of general one-variable linear equations, including cases with infinitely many solutions or no solutions as well as cases requiring algebraic manipulation using properties of operations. Coefficients and constants in these equations may be any rational numbers. 8.G.9 When students learn to solve problems involving volumes of cones, cylinders, and spheres – together with their previous grade 7 work in angle measure, area, surface area, and volume (7.G.4-6) – they will have acquired a well-developed set of geometric measurement skills. These skills, along with proportional reasoning (7.RP) and multistep numerical problem solving (7.EE.3), can be combined and used in flexible ways as part of modeling during high school – not to mention after high school for college and careers.
Content Vocabulary • similar triangles • proportional relationship • similar triangles • unit rate • ratio • slope • slope • right triangle • proportional relationship • leg • y-intercept	Academic Vocabulary
Formative Assessments performance tasks pretests interviews quizzes 	Summative Assessments Teacher created assessments PARCC
 Resources UCSMP Algebra, Geometry Websites PARCC Model Content Frameworks 	Enrichment Strategies
Integrations	Intervention Strategies

Domain Expressions and Equations		
Cluster	Analyze and solve linear equations and pairs of simultaneous	Pacing
	linear equations.	1st Quarter
Standard	ls	Content Elaborations
 7. Solve a. Gi in po in po in po di Learr 1 co 1 co<	a linear equations in one variable. Ive examples of linear equations in one variable with one solution, finitely many solutions, or no solutions. Show which of these ossibilities is the case by successively transforming the given equation to simpler forms, until an equivalent equation of the form $x = a$, $a = a$, r = b results (where a and b are different numbers). obve linear equations with rational number coefficients, including quations whose solutions require expanding expressions using the istributive property and collecting like terms. ning Targets: can solve linear equations and check my solutions (3-4, 3-4). can solve equations by first clearing the fractions (3-8). can solve equations that contain a variable on both sides of the roblem (4-4). can solve percent problems involving percent and change in percent i-1). can solve a formula for one of the variables (4-7). Yze and solve pairs of simultaneous linear equations. nderstand that solutions to a system of two linear equations in two ariables correspond to points of intersection of their graphs, because points of intersection satisfy both equations simultaneously. obve systems of two linear equations in two variables algebraically, and stimate solutions by graphing the equations. Solve simple cases by spection. or example, $3x + 2y = 5$ and $3x + 2y = 6$ have no solution because $3x + y$ or cannot simultaneously be 5 and 6. olve real-world and mathematical problems leading to two linear equations in two variables	 Standards of Mathematical Practice Mathematically proficient students: Make sense of problems and persevere in solving them. Reason abstractly and quantitatively. Construct viable arguments and critique the reasoning of others. Model with mathematics Use appropriate tools strategically. Attend to precision. Look for and make use of structure. Look for and express regularity in repeated reasoning. From the K-8 Math Standards Progression. Examples of Key Advances from Grade 7 to Grade 8 Students build on previous work with proportional relationships, unit rates, and graphing to connect these ideas and understand that the points (x, y) on a nonvertical line are the solutions of the equation y = mx + b, where m is the slope of the line as well as the unit rate of a proportional relationship (in the case b = 0). Students also formalize their previous work with linear relationships by working with functions – rules that assign to each input exactly one output. By working with equations such as x2 = 2 and in geometric contexts such as the Pythagorean theorem, students enlarge their concept of number beyond the system of rationals to include irrational numbers. They represent these numbers with radical expressions and approximate these numbers with rationals.
et		8.EE.7 Students have been working informally with one-variable linear

 For example, given coordinates for two pairs of points, determine whether the line through the first pair of points intersects the line through the second pair. Learning Targets: I can solve systems of equations using graphing. I can solve systems of equations using substitution. I can solve systems of equations using elimination. I can explain the meaning to the solutions of a system. I can write systems of equations to represent and solve real-world situations. 	 equations since as early as kindergarten. This important line of development culminates in grade 8 with the solution of general one-variable linear equations, including cases with infinitely many solutions or no solutions as well as cases requiring algebraic manipulation using properties of operations. Coefficients and constants in these equations may be any rational numbers. 8.G.9 When students learn to solve problems involving volumes of cones, cylinders, and spheres – together with their previous grade 7 work in angle measure, area, surface area, and volume (7.G.4-6) – they will have acquired a well-developed set of geometric measurement skills. These skills, along with proportional reasoning (7.RP) and multistep numerical problem solving (7.EE.3), can be combined and used in flexible ways as part of modeling during high school – not to mention after high school for college and careers.
Content Vocabulary• linear equation• equivalent equations• rational number• coefficient	Academic Vocabulary
Formative Assessments performance tasks pretests interviews quizzes 	Summative Assessments Teacher created assessments PARCC
Resources UCSMP Algebra, Geometry Websites PARCC Model Content Frameworks 	Enrichment Strategies
Integrations	Intervention Strategies

Do	Domain Functions		
Cl	ister Define, evaluate, and compare functions.	Pacing	
		3rd Quarter	
Standards		Content Elaborations	
1.	Understand that a function is a rule that assigns to each input exactly one	Standards of Mathematical Practice	
	 output. The graph of a function is the set of ordered pairs consisting of an input and the corresponding output. Learning Targets: I can define what a function is. I can graph functions on the coordinate plane. 	 Mathematically proficient students: Make sense of problems and persevere in solving them. Reason abstractly and quantitatively. Construct viable arguments and critique the reasoning of others. Model with mathematics Use appropriate tools strategically. 	
2.	Compare properties of two functions each represented in a different way (algebraically, graphically, numerically in tables, or by verbal descriptions). For example, given a linear function represented by a table of values and a linear function represented by an algebraic expression, determine which function has the greater rate of change.	 Attend to precision. Look for and make use of structure. Look for and express regularity in repeated reasoning. From the K-8 Math Standards Progression. Examples of Key Advances from Grade 7 to Grade 8	
3.	 Learning Targets: I can determine the properties of a function when it is written as an equation (slope, meaning of y-intercept, if it is linear or nonlinear, etc.). I can determine the properties of a function when it is given as a table. I can determine the properties of a function when it is given as a graph. I can determine the properties of a function when given a situation verbally. I can compare the properties of two functions that are represented in different forms. Interpret the equation y = mx + b as defining a linear function, whose graph is a straight line; give examples of functions that are not linear. For example, the function A = s2 giving the area of a square as a function of its side length is not linear because its graph contains the points (1,1), (2,4), and (3,9), which are not on a straight line.	 Students build on previous work with proportional relationships, unit rates, and graphing to connect these ideas and understand that the points (x, y) on a nonvertical line are the solutions of the equation y = mx + b, where m is the slope of the line as well as the unit rate of a proportional relationship (in the case b = 0). Students also formalize their previous work with linear relationships by working with functions – rules that assign to each input exactly one output. By working with equations such as x2 = 2 and in geometric contexts such as the Pythagorean theorem, students enlarge their concept of number beyond the system of rationals to include irrational numbers. They represent these numbers with radical expressions and approximate these numbers with rationals. Fluency Expectations or Examples of Culminating Standards 8.EE.7 Students have been working informally with one-variable linear 	
I	Learning Targets:	equations since as early as kindergarten. This important line of	

 I can explain why the equation y = mx + b represents a linear function and interpret the slope and y-intercept in relation to the function. I can give examples of relationships that are nonlinear functions. I can analyze the rates of change between input and output values to determine if a function is linear or nonlinear. I can create a table of values that can be defined as a nonlinear function. 	 development culminates in grade 8 with the solution of general one-variable linear equations, including cases with infinitely many solutions or no solutions as well as cases requiring algebraic manipulation using properties of operations. Coefficients and constants in these equations may be any rational numbers. 8.G.9 When students learn to solve problems involving volumes of cones, cylinders, and spheres – together with their previous grade 7 work in angle measure, area, surface area, and volume (7.G.4-6) – they will have acquired a well-developed set of geometric measurement skills. These skills, along with proportional reasoning (7.RP) and multistep numerical problem solving (7.EE.3), can be combined and used in flexible ways as part of modeling during high school – not to mention after high school for college and careers.
Content Vocabulary• fraction• input• output• output• rate of change	Academic Vocabulary analyze interpret determine compare
Formative Assessments performance tasks pretests interviews quizzes 	Summative Assessments Teacher created assessments PARCC
 Resources UCSMP Algebra, Geometry Websites PARCC Model Content Frameworks 	Enrichment Strategies
Integrations	Intervention Strategies

Domain Functions		
Cluster Use functions to model relationships between quantities.	Pacing	
	3rd Quarter	
Standards	Content Elaborations	
 Construct a function to model a linear relationship between two quantities. Determine the rate of change and initial value of the function from a description of a relationship or from two (x, y) values, including reading these from a table or from a graph. Interpret the rate of change and initial value of a linear function in terms of the situation it models, and in terms of its graph or a table of values. Learning Targets: I can describe slope and its properties. I can calculate slope. I can graph linear equations by using slope and the y-intercept. I can write equations for a line in slope-intercept form. I can write equations to represent and solve real-world situations. I can write equations to represent and solve real-world situations. I can graph linear equations by using slope and the y-intercept form. I can write equations to represent and solve real-world situations. I can graph linear equations by using slope and the y-intercept and the x- and y-intercepts. Describe qualitatively the functional relationship between two quantities by analyzing a graph (e.g., where the function is increasing or decreasing, linear or nonlinear). Sketch a graph that exhibits the qualitative features of a function that has been described verbally. Learning Targets: I can write a story that describes the functional relationship between two quantities by analyzing a graph (e.g., where the function is increasing or decreasing, linear or nonlinear). Sketch a graph that exhibits the qualitative features of a function that has been described verbally. 	 Standards of Mathematical Practice Mathematically proficient students: Make sense of problems and persevere in solving them. Reason abstractly and quantitatively. Construct viable arguments and critique the reasoning of others. Model with mathematics Use appropriate tools strategically. Attend to precision. Look for and make use of structure. Look for and express regularity in repeated reasoning. From the K-8 Math Standards Progression. Examples of Key Advances from Grade 7 to Grade 8 Students build on previous work with proportional relationships, unit rates, and graphing to connect these ideas and understand that the points (x, y) on a nonvertical line are the solutions of the equation y = mx + b, where m is the slope of the line as well as the unit rate of a proportional relationship (in the case b = 0). Students also formalize their previous work with linear relationships by working with functions – rules that assign to each input exactly one output. By working with equations such as x2 = 2 and in geometric contexts such as the Pythagorean theorem, students enlarge their concept of number beyond the system of rationals to include irrational numbers. They represent these numbers with radical expressions and approximate these numbers with rationals. 	
	equations since as early as kindergarten. This important line of	

		 development culminates in grade 8 with the solution of general one-variable linear equations, including cases with infinitely many solutions or no solutions as well as cases requiring algebraic manipulation using properties of operations. Coefficients and constants in these equations may be any rational numbers. 8.G.9 When students learn to solve problems involving volumes of cones, cylinders, and spheres – together with their previous grade 7 work in angle measure, area, surface area, and volume (7.G.4-6) – they will have acquired a well-developed set of geometric measurement skills. These skills, along with proportional reasoning (7.RP) and multistep numerical problem solving (7.EE.3), can be combined and used in flexible ways as part of modeling during high school – not to mention after high school for college and careers.
Content Vocabulary		Academic Vocabulary
 linear function 	 decreasing 	• construct
 rate of change 	• linear	• describe
 increasing 	 nonlinear 	
Formative Assessments		Summative Assessments
 performance tasks 		 Teacher created assessments
 pretests 		• PARCC
 interviews 		
• quizzes		
Resources		Enrichment Strategies
UCSMP Algebra, Geometry		
PARCC Model Content Frameworks		
Integrations		Intervention Strategies

Do	main	Geometry		
Clu	uster	Understand congruence and similarity using physical models,	Pacing	
		transparencies, or geometry software.	3rd Quarter	
Sta	andards		Content Elaborations	
1. Lea	Verify translo a. Line leng b. Ang c. Para arning T • I cal para trar leng corr • I cal para refle leng corr • I cal para refle leng corr • I cal para refle leng corr • I cal para refle leng corr • I cal para refle second reflect. sequer	experimentally the properties of rotations, reflections, and ations. es are taken to lines, and line segments to line segments of the same gth. gles are taken to angles of the same measure. allel lines are taken to parallel lines. Fargets: In verify—by measuring and comparing lengths, angle measures, and allelism of a figure and its image—that after a figure has been inslated, corresponding lines and line segments remain the same gth, corresponding angles have the same measure, and responding parallel lines remain parallel. In verify—by measuring and comparing lengths, angle measures, and allelism of a figure and its image—that after a figure has been ected corresponding lines and line segments remain the same gth, corresponding lines and line segments remain the same gth, corresponding angles have the same measure, and responding parallel lines remain parallel. In verify—by measuring and comparing lengths, angle measures, and allelism of a figure and its image—that after a figure has been ected corresponding lines and line segments remain the same gth, corresponding angles have the same measure, and responding parallel lines remain parallel. In verify—by measuring and comparing lengths, angle measures, and allelism of a figure and its image—that after a figure has been ated corresponding lines and line segments remain the same length, responding angles have the same measure, and corresponding allel lines remain parallel. stand that a two-dimensional figure is congruent to another if the d can be obtained from the first by a sequence of rotations, tions, and translations; given two congruent figures, describe a free that exhibits the congruence between them.	 Standards of Mathematical Practice Mathematically proficient students: Make sense of problems and persevere in solving them. Reason abstractly and quantitatively. Construct viable arguments and critique the reasoning of others. Model with mathematics Use appropriate tools strategically. Attend to precision. Look for and make use of structure. Look for and express regularity in repeated reasoning. From the K-8 Math Standards Progression. Examples of Key Advances from Grade 7 to Grade 8 Students build on previous work with proportional relationships, unit rates, and graphing to connect these ideas and understand that the points (x, y) on a nonvertical line are the solutions of the equation y = mx + b, where m is the slope of the line as well as the unit rate of a proportional relationship (in the case b = 0). Students also formalize their previous work with linear relationships by working with functions – rules that assign to each input exactly one output. By working with equations such as x2 = 2 and in geometric contexts such as the Pythagorean theorem, students enlarge their concept of number beyond the system of rationals to include irrational numbers. They represent these numbers with radical expressions and approximate these numbers with rationals. 	
	Learnii	ng Targets:	8.EE.7 Students have been working informally with one-variable linear	

- I can explain how transformations can be used to prove that two figures are congruent.
- I can perform a series of transformations (reflections, rotations, and/or translations) to prove or disprove that two given figures are congruent.
- **3.** Describe the effect of dilations, translations, rotations, and reflections on two-dimensional figures using coordinates.

Learning Targets:

- I can describe the changes occurring to the x- and y-coordinates of a figure after a translation.
- I can describe the changes occurring to the x- and y-coordinates of a figure after a reflection.
- I can describe the changes occurring to the x- and y-coordinates of a figure after a rotation.
- I can describe the changes occurring to the x- and y-coordinates of a figure after a dilation.
- 4. Understand that a two-dimensional figure is similar to another if the second can be obtained from the first by a sequence of rotations, reflections, translations, and dilations; given two similar two-dimensional figures, describe a sequence that exhibits the similarity between them.

Learning Targets:

- I can explain how transformations can be used to prove that two figures are similar.
- I can describe a sequence of transformations to prove or disprove that two given figures are similar.
- 5. Use informal arguments to establish facts about the angle sum and exterior angle of triangles, about the angles created when parallel lines are cut by a transversal, and the angle-angle criterion for similarity of triangles.

For example, arrange three copies of the same triangle so that the sum of the three angles appears to form a line, and give an argument in terms of transversals why this is so.

Learning Targets:

• I can informally prove that the sum of a triangle's interior angles will have the same measure as a straight angle (i.e., by tearing off the three

equations since as early as kindergarten. This important line of development culminates in grade 8 with the solution of general onevariable linear equations, including cases with infinitely many solutions or no solutions as well as cases requiring algebraic manipulation using properties of operations. Coefficients and constants in these equations may be any rational numbers.

8.G.9 When students learn to solve problems involving volumes of cones, cylinders, and spheres – together with their previous grade 7 work in angle measure, area, surface area, and volume (7.G.4-6) – they will have acquired a well-developed set of geometric measurement skills. These skills, along with proportional reasoning (7.RP) and multistep numerical problem solving (7.EE.3), can be combined and used in flexible ways as part of modeling during high school – not to mention after high school for college and careers.

 corners of a triangle and arranging them to form a 180° straight angle). I can informally prove that the sum of any polygon's exterior angles will be 360-degrees. I can make conjectures regarding the relationships and measurements of the angles created when two parallel lines are cut by a transversal. I can apply proven relationships to establish minimal properties to justify similarity. 	
Content Vocabulary• transformation• dilation• translation• interior angle• rotation• exterior angle• reflection• parallel lines• parallel line• transversal• congruent• transversal	Academic Vocabulary informally prove apply verify
Formative Assessments performance tasks pretests interviews quizzes 	Summative Assessments Teacher created assessments PARCC
 Resources UCSMP Algebra, Geometry PARCC Model Content Frameworks 	Enrichment Strategies
Integrations	Intervention Strategies

Do	main	Geometry	
Clu	uster	Understand and apply the Pythagorean Theorem.	Pacing
			3rd Quarter
Standards			Content Elaborations
6.	Explair	a proof of the Pythagorean Theorem and its converse.	Standards of Mathematical Practice
7.	Learnir I car any I car Pyth I car righ Apply tr dimensional Learnir	ng Targets: n use visual models to demonstrate the relationship of the 3 sides of right triangle. n use algebraic reasoning to relate the visual model to the nagorean Theorem. n use the Pythagorean Theorem to determine if a given triangle is a t triangle. the Pythagorean Theorem to determine unknown side lengths in riangles in real-world and mathematical problems in two and three sions.	 Mathematically proficient students: Make sense of problems and persevere in solving them. Reason abstractly and quantitatively. Construct viable arguments and critique the reasoning of others. Model with mathematics Use appropriate tools strategically. Attend to precision. Look for and make use of structure. Look for and express regularity in repeated reasoning. From the K-8 Math Standards Progression.
8.	 I can righ I can wor I can and Apply to in a coor Learning 	n use the Pythagorean Theorem to find the unknown side length of a t triangle. In draw a diagram and use the Pythagorean Theorem to solve real- Id problems involving right triangles. In draw a diagram to find right triangles in a three-dimensional figure use the Pythagorean Theorem to calculate various dimensions. The Pythagorean Theorem to find the distance between two points ordinate system.	 Students build on previous work with proportional relationships, unit rates, and graphing to connect these ideas and understand that the points (x, y) on a nonvertical line are the solutions of the equation y = mx + b, where m is the slope of the line as well as the unit rate of a proportional relationship (in the case b = 0). Students also formalize their previous work with linear relationships by working with functions – rules that assign to each input exactly one output. By working with equations such as x2 = 2 and in geometric contexts such as the Pythagorean theorem, students enlarge their concept of number beyond the system of rationals to include irrational numbers. They
	 Learning I can that I can distance 	n connect any two points on a coordinate grid to a third point so the three points form a right triangle. In use the right triangle and the Pythagorean Theorem to find the ance between the original two points.	 Beyond the system of rationals to include irrational numbers. They represent these numbers with radical expressions and approximate these numbers with rationals. Fluency Expectations or Examples of Culminating Standards 8.EE.7 Students have been working informally with one-variable linear equations since as early as kindergarten. This important line of

	 development culminates in grade 8 with the solution of general one-variable linear equations, including cases with infinitely many solutions or no solutions as well as cases requiring algebraic manipulation using properties of operations. Coefficients and constants in these equations may be any rational numbers. 8.G.9 When students learn to solve problems involving volumes of cones, cylinders, and spheres – together with their previous grade 7 work in angle measure, area, surface area, and volume (7.G.4-6) – they will have acquired a well-developed set of geometric measurement skills. These skills, along with proportional reasoning (7.RP) and multistep numerical problem solving (7.EE.3), can be combined and used in flexible ways as part of modeling during high school – not to mention after high school for college and careers.
Content Vocabulary Pythagorean Theorem leg hypotenuse converse 	Academic Vocabulary connect apply
Formative Assessments performance tasks pretests interviews quizzes 	Summative Assessments Teacher created assessments PARCC
 Resources UCSMP Algebra, Geometry PARCC Model Content Frameworks 	Enrichment Strategies
Integrations	Intervention Strategies

Domain	Geometry	
Cluster	Solve real-world and mathematical problems involving volume of	Pacing
	cylinders, cones, and spheres.	3rd Quarter
Standar	ds	Content Elaborations
 9. Know uses Lear I I I I I S I C 	w the formulas for the volumes of cones, cylinders, and spheres and them to solve-real world and mathematical problems. ming Targets: can informally prove the relationship between the volume of a cylinder nd the volume of a cone with the same base. can recall the formula to find the volume of a cone. can informally prove the relationship between the volume of a sphere nd the volume of a circumscribed cylinder. can use the formulas to find the volume of a sphere. can use the formulas to find the volume of cylinders, cones, and pheres. can solve real-world problems involving the volume of cylinders, ones, spheres.	 Standards of Mathematical Practice Mathematically proficient students: Make sense of problems and persevere in solving them. Reason abstractly and quantitatively. Construct viable arguments and critique the reasoning of others. Model with mathematics Use appropriate tools strategically. Attend to precision. Look for and make use of structure. Look for and express regularity in repeated reasoning. From the K-8 Math Standards Progression. Examples of Key Advances from Grade 7 to Grade 8 Students build on previous work with proportional relationships, unit rates, and graphing to connect these ideas and understand that the points (x, y) on a nonvertical line are the solutions of the equation y = mx + b, where m is the slope of the line as well as the unit rate of a proportional relationship (in the case b = 0). Students also formalize their previous work with linear relationships by working with functions – rules that assign to each input exactly one output. By working with equations such as x2 = 2 and in geometric contexts such as the Pythagorean theorem, students enlarge their concept of number beyond the system of rationals to include irrational numbers. They represent these numbers with radical expressions and approximate these numbers with rationals.
		Sizer stadents have been working mornary with one variable medi

	 equations since as early as kindergarten. This important line of development culminates in grade 8 with the solution of general one-variable linear equations, including cases with infinitely many solutions or no solutions as well as cases requiring algebraic manipulation using properties of operations. Coefficients and constants in these equations may be any rational numbers. 8.G.9 When students learn to solve problems involving volumes of cones, cylinders, and spheres – together with their previous grade 7 work in angle measure, area, surface area, and volume (7.G.4-6) – they will have acquired a well-developed set of geometric measurement skills. These skills, along with proportional reasoning (7.RP) and multistep numerical problem solving (7.EE.3), can be combined and used in flexible ways as part of modeling during high school – not to mention after high school for college and careers.
Content Vocabulary	Academic Vocabulary
• cylinder	informally
• cone	• prove
• sphere	• recall
• volume	• solve
Formative Assessments	Summative Assessments
 performance tasks 	 Teacher created assessments
• pretests	
• interviews	
• quizzes	
Resources	Enrichment Strategies
UCSMP Algebra, Geometry	
PARCC Model Content Frameworks	
Integrations	Intervention Strategies

Domain Statistics and Probability		
Clu	ster Investigate patterns of association in bivariate data.	Pacing
		4th Quarter
Standards		Content Elaborations
1.	 Construct and interpret scatter plots for bivariate measurement data to investigate patterns of association between two quantities. Describe patterns such as clustering, outliers, positive or negative association, linear association, and nonlinear association. Learning Targets: I can plot ordered pairs on a coordinate grid representing the relationship between two data sets. (K) I can describe patterns in the plotted points such as clustering, outliers, positive or negative association, and linear or nonlinear association and describe the pattern in the context of the measurement data. (R) I can interpret the patterns of association in the context of the data sample. (R) 	 Standards of Mathematical Practice Mathematically proficient students: Make sense of problems and persevere in solving them. Reason abstractly and quantitatively. Construct viable arguments and critique the reasoning of others. Model with mathematics Use appropriate tools strategically. Attend to precision. Look for and make use of structure. Look for and express regularity in repeated reasoning. From the K-8 Math Standards Progression.
2.	 Know that straight lines are widely used to model relationships between two quantitative variables. For scatter plots that suggest a linear association, informally fit a straight line, and informally assess the model fit by judging the closeness of the data points to the line. Learning Targets: I can recognize whether or not data plotted on a scatter plot have a linear association. (K) I can draw a straight trend line to approximate the linear relationship between the plotted points of two data sets. (S) I can make inferences regarding the reliability of the trend line by noting the closeness of the data points to the line. 	 Examples of Key Advances from Grade 7 to Grade 8 Students build on previous work with proportional relationships, unit rates, and graphing to connect these ideas and understand that the point (x, y) on a nonvertical line are the solutions of the equation y = mx + b, where m is the slope of the line as well as the unit rate of a proportional relationship (in the case b = 0). Students also formalize their previous work with linear relationships by working with functions – rules that assign to each input exactly one output. By working with equations such as x2 = 2 and in geometric contexts such as the Pythagorean theorem, students enlarge their concept of number beyond the system of rationals to include irrational numbers. They represent these numbers with radical expressions and approximate these numbers with rationals
3.	Use the equation of a linear model to solve problems in the context of bivariate measurement data, interpreting the slope and intercept. For example, in a linear model for a biology experiment, interpret a slope of 1.5 cm/hr as meaning that an additional hour of sunlight each day is	 Fluency Expectations or Examples of Culminating Standards 8.EE.7 Students have been working informally with one-variable linear equations since as early as kindergarten. This important line of

	associated with an additional 1.	5 cm in mature plant height.	development culminates in grade 8 with the solution of general one-
	 Learning Targets: I can draw a "best line of fit" real-world situations. 	on a scatterplot and write equations for	variable linear equations, including cases with infinitely many solutions or no solutions as well as cases requiring algebraic manipulation using properties of operations. Coefficients and constants in these equations may be any rational numbers.
4. Understand that patterns of association can also be seen in bivariate categorical data by displaying frequencies and relative frequencies in a two-way table. Construct and interpret a two-way table summarizing data on two categorical variables collected from the same subjects. Use relative frequencies calculated for rows or columns to describe possible association between the two variables. For example, collect data from students in your class on whether or not they have a curfew on school nights and whether or not they have assigned chores at home. Is there evidence that those who have a curfew also tend to have chores?		sociation can also be seen in bivariate frequencies and relative frequencies in a interpret a two-way table summarizing les collected from the same subjects. Use for rows or columns to describe possible ariables. Students in your class on whether or not ghts and whether or not they have assigned ce that those who have a curfew also tend	8.G.9 When students learn to solve problems involving volumes of cones, cylinders, and spheres – together with their previous grade 7 work in angle measure, area, surface area, and volume (7.G.4-6) – they will have acquired a well-developed set of geometric measurement skills. These skills, along with proportional reasoning (7.RP) and multistep numerical problem solving (7.EE.3), can be combined and used in flexible ways as part of modeling during high school – not to mention after high school for college and careers.
	 Learning Targets: I can create a two-way table categorical values. I can determine the relative for two-way table. I can use the relative frequer describe possible association 	to record the frequencies of bivariate frequencies for rows and/or columns of a ncies and context of the problem to s between the two sets of data.	
Co	ntent Vocabulary		Academic Vocabulary
0	bivariate	linear model	• construct
	 clustering 	 slope 	• interpret
	 outliers 	 v-intercept 	interpret
	 positive association 	 line of best fit 	
	 negative association 	categorical data	
	 nonlinear association 	• two-way table	
	 scatter plot 	• frequency	
	 linear association 	 relative frequency 	
	trend line		
Fo	rmative Assessments		Summative Assessments
performance tasks			 Teacher created assessments
	• pretests		• PARCC

interviewsquizzes	
 Resources UCSMP Algebra, Geometry Websites PARCC Model Content Frameworks 	Enrichment Strategies
Integrations	Intervention Strategies