11-6B Lesson Master Questions on SPUR Objectives See Student Edition pages 792–795 for objectives. VOCABULARY 1. Suppose *r* is a *root* of a polynomial function with *multiplicity* 3. What does this tell you? 2. Give an example of a polynomial function in factored form that has **a**. 5 as a double root. **b.** 3 as a root with multiplicity 4. **SKILLS** Objective C In 3–8, a polynomial is written factored over the rational numbers. a. Give the degree of the polynomial, and b. find all zeros and their multiplicities. 3. $x^{3}(x-5)(2x-5)$ a. _____ b. 4. $(x+1)^3(x+20)$ a._____ b. _____ 5. $(x+2)^3(5x+7)(x-1)$ a. b. 6. (4x + 9)(x + 2)(x - 1) a. _____ b. 7. $x^{2}(4x-5)(x-5)$ a._____ b. _____ 8. $(x + 1)(x + 2)^{20}$ b. a. In 9–12, use a CAS to factor the polynomial a. over the real numbers, and b. over the complex numbers. c. List all zeros and their multiplicities. 9. $x^3 - 2x^2 - 21x - 18$ 10. $3x^2 + 2x + 8$ a. _____ a. _____ b. b.____ C. _____ C. _____ 11. $x^4 + 6x^3 + 2x^2 - 42x - 63$ 12. $x^5 - 2x^4 - 3x^3 + 6x^2 - 4x + 8$ a._____ a._____ b. b. C. ___ C. ____

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PROPERTIES **Objective F 13.** How many complex roots does the equation $2x^5 - x + \pi i = 0$ have? **14**. *P* is a quartic polynomial whose only roots are 5, 2 and -1. Write a possible equation for *P* in factored form. 15. The cubic function f(x) is graphed at the right. The graph shows all intercepts. = f(x)a. How many complex zeros does f have? b. How many of the zeros are real numbers? c. How many of the zeros are nonreal numbers? ____ **16.** The function $h(x) = x^5 - x^4 + 5x^3 - 5x^2 + 4x - 4$ is graphed at the right. The graph shows all intercepts. a. How many complex zeros does h have? b. How many of the zeros are real numbers? c. How many of the zeros are nonreal numbers? _____ 17. The function $f(x) = x^5 - 13x^3 + 36x + k$ is graphed at the right for k = 0. a. How many of the zeros of *f* are real numbers? **b**. Find a value of *k* so that *f* has one real zero. ____ c. Explain why there is no real value of k where f has no real zeros. **18.** The function $f(x) = 6x^2 + 5x + k$ is graphed at the right for k = -4.a. How many of the zeros of *f* are real numbers? **b**. Find a value of *k* so that *f* has no real zeros. _ **c**. Find a value of *k* for which *f* has exactly one real zero.