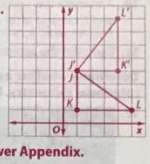
#105

rotation about point A. (Example 1) **See Answer Appendix.**

2. Triangle $JKL$ has vertices $J(1, 4)$, $K(1, 1)$, and $L(5, 1)$. (Example 2)
   a. Graph the figure and its image after a clockwise rotation of 270° about vertex $J$.
   b. Give the coordinates of the vertices for triangle $J'K'L'$. $J'(1, 4)$, $K'(4, 4)$, $L'(4, 8)$

2a.




3. A figure has vertices $D(1, 1)$, $F(2, 3)$, $G(5, 3)$, and $H(5, 1)$. (Example 3)
   a. Graph the figure and its image after a rotation of 180° about the origin. **See Anwer Appendix.**
   b. Give the coordinates of the vertices for figure $D'F'G'H'$. $D'(-1, -1)$, $F'(-2, -3)$, $G'(-5, -3)$, $H'(-5, -1)$

4. Determine if the blades of the windmill shown at the right have rotational symmetry. If they do, describe the angle of rotation. (Example 4) **yes; 90°**

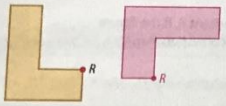


## Independent Practice

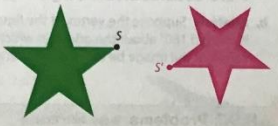
Go online for Step-by-Step Solutions eHelp

**Draw each figure after the rotation described.** (Example 1)

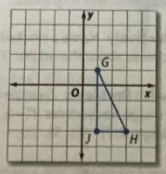
5. 90° clockwise rotation about point $R$




6. 180° clockwise rotation about point $S$




7. Triangle $GHJ$ is shown at the right. (Example 2)
   a. Graph the figure after a clockwise rotation of 90° about vertex $G$. **See Answer Appendix.**
   b. Give the coordinates of the vertices for $\triangle G'H'J'$. $G'(1, 1)$, $H'(-3, -1)$, $J'(-3, 1)$




8. Trapezoid $ABCD$ has vertices $A(-3, 1)$, $B(-3, 4)$, $C(1, 4)$, and $D(-1, 1)$. (Example 3)
   a. Graph the figure and its image after a clockwise rotation of 180° about vertex $D$. **See Answer Appendix.**
   b. Give the coordinates of the vertices for trapezoid $A'B'C'D'$. $A'(1, 1)$, $B'(1, -2)$, $C'(-3, -2)$, $D'(-1, 1)$

If they need more help, use the Personal Tuto available online.

**TICKET Out the Door**

Give students the coordinates of a triangle them to name the steps they would use t the coordinates of the image after a 90° c rotation about the origin. Then have stud write the coordinates of the rotated trian **See students' work.**

## 3 Practice and Apply

**Homework**

The **Independent Practice** pages are me used as the homework assignment. If yo wish to assign the entire exercise set, yo the table below to select appropriate ex your students' needs.

| Differentiated Homework Optio | | |
|---|---|---|
| AL | Approaching Level | 5–14, 17, 18, 20–39 |
| OL | On Level | 5–13 odd, 15–18, 20– |
| BL | Beyond Level | 15–39 |

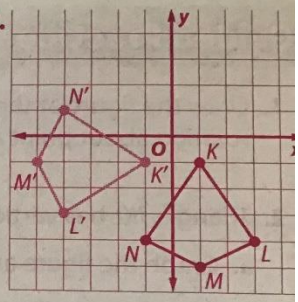
## Create Your Own Homew

Solutions Manual can be used to crea for the suggested assignments above, own worksheets for differentiated hom



9. A figure has vertices $K(1, -1)$, $L(3, -4)$, $M(1, -5)$, and $N(-1, -4)$. Graph the figure and its image after a rotation of 270° counterclockwise about the origin. (Example 3)

9.

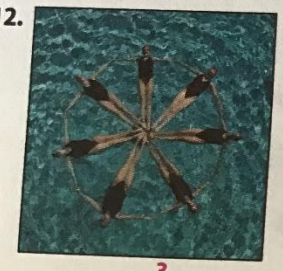



10. A triangle has vertices $P(-3, 1)$, $Q(0, 4)$, and $R(1, -1)$. Graph the triangle and its image after a rotation of 180° about the origin. (Example 3) **See Answer Appendix.**

11. Describe the rotational symmetry of the star in Exercise 6. (Example 4) **72°**

**Determine whether each synchronized swimming formation has rotational symmetry. If it does, describe the angle of rotation.** (Example 4)

12.



**yes; $51\frac{3}{7}°$**

13.



**yes; 180°**

14.



**no**

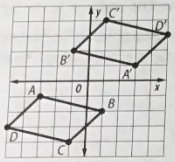
15. CCSS **Model with Mathematics** Pat is placing the tile at the right in different ways on a wall. Describe three rotations that would change the appearance of the tile. Use drawings to show what the tile looks like after each rotation. **See Answer Appendix.**



CCSS **Multiple Representations** A figure is

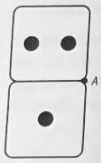
*Page 530 Lesson 11-5 Need Another Example*

**3.**

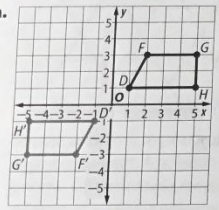



*Page 531 Lesson 11-5 Guided Practice*

**1.**

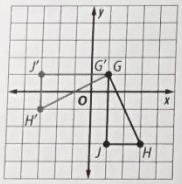



**3a.**

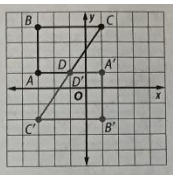



*Pages 531–532 Lesson 11-5 Independent Practice*

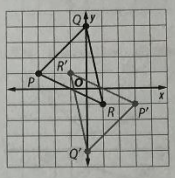
**7a.**




**8a.**




**10.**




**15.** 90° clockwise



270° clockwise



180°



**17.** Sample answer: 90°



*Page 536 Lesson 11-6 Guided Practice*

**3.** Sample answer: a rotation of 180° about the center of the logo

**4.** The two parallelograms are not congruent because no sequence of transformations will map *RSTU* onto *WXYZ* exactly.

*Page 537 Lesson 11-6 Independent Practice*

**5.** The two triangles are congruent because a counterclockwise rotation of 90° followed by a translation will map $\triangle ABC$ onto $\triangle RST$.