

CALCULUS NOTES

x IS A _____.

$f(x)$ IS A _____.

LINES

FORMULA FOR A LINE

IF YOU ARE GIVEN A SLOPE " m " AND A POINT (x_1, y_1)

IF YOU ARE GIVEN TWO POINTS (x_1, y_1) (x_2, y_2)

= _____

FUNCTIONS

$$f(x) = x^2 \quad \rightarrow \quad \begin{array}{l} f(2) = \\ f(3) = \\ f(4) = \end{array} \quad \begin{array}{l} = \\ = \\ = \end{array}$$

$$f(x) = (x)(x^2 + 2) \quad \rightarrow \quad \begin{array}{l} f(0) = \\ f(1) = \\ f(2) = \end{array} \quad \begin{array}{l} = \\ = \\ = \end{array}$$

LIMITS

$$\lim_{x \rightarrow a} f(x) \quad \rightarrow \quad \lim_{x \rightarrow a} x^2 = \underline{\hspace{2cm}}$$

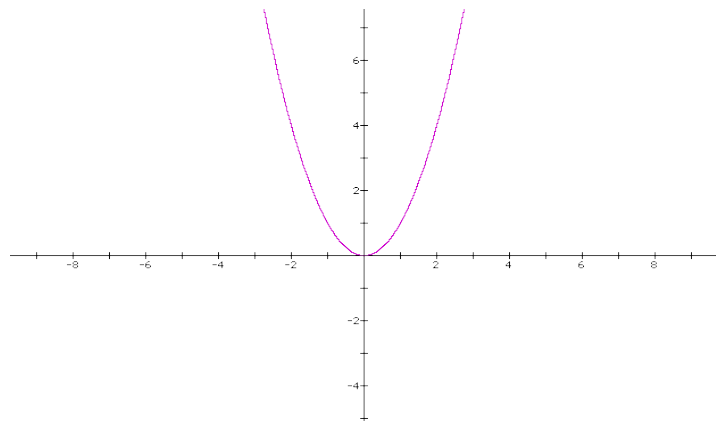
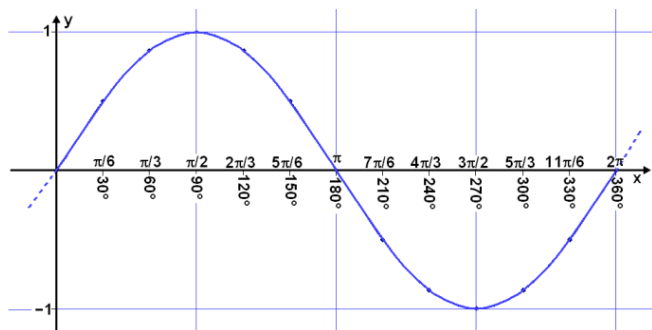
$$\lim_{x \rightarrow \infty} 1/x^2 = \underline{\hspace{2cm}}$$

$$\lim_{x \rightarrow 0} 1/x^2 = \underline{\hspace{2cm}}$$

TANGENT LINES

Draw tangent lines at $x = \frac{\pi}{2}, x = \pi, x = \frac{3\pi}{2}$

Draw tangent lines at $x = 0, x = 2$



DERIVATIVES

THE FORMAL DEFINITION OF A DERIVATIVE:

DERIVATIVE RULES

POWER RULE
 $\frac{d}{dx}[x^n] = nx^{(n-1)}$

SINE
 $\frac{d}{dx}[\sin x] = \cos x$

COSINE
 $\frac{d}{dx}[\cos x] = -\sin x$

NUMBERS
 $\frac{d}{dx}[n] = 0$

EXPONENTIAL
 $\frac{d}{dx}[e^x] =$

LOGARITHMIC
 $\frac{d}{dx}[\log_a x] =$

NATURAL LOG
 $\frac{d}{dx}[\ln x] =$

EXPONENTS
 $\frac{d}{dx}[a^x] =$

PRODUCT RULE
 $\frac{d}{dx}[f(x)g(x)] = f'(x)g(x) + f(x)g'(x)$

QUOTIENT RULE
 $\frac{d}{dx}\left[\frac{f(x)}{g(x)}\right] = \frac{f'(x)g(x) - f(x)g'(x)}{[g(x)]^2}$

(P.S. $\frac{d}{dx}[f(x)] = f'(x)$)

CHAIN RULE
 $\frac{d}{dx}[f(g(x))] = g'(x)f'(g(x))$

TAKE THE DERIVATIVE OF THE FOLLOWING:

$$\frac{d}{dx}[x^2] =$$

$$\frac{d}{dx}[x^3] =$$

$$\frac{d}{dx}[e^x] =$$

$$\frac{d}{dx}[5^x] =$$

$$\frac{d}{dx}[\cos x] =$$

$$\frac{d}{dx}[x] =$$

$$\frac{d}{dx}[\log_2 x] =$$

$$\frac{d}{dx}[13] =$$

$$\frac{d}{dx}[\cos x^2] =$$

$$\frac{d}{dx}[e^{(x^2)}] =$$

ANTIDERIVATIVES

POWER RULE
 $\int x^n dx =$

COSINE
 $\int \cos x dx =$

SINE
 $\int \sin x dx =$

EXPONENTIAL

LOGARITHMIC

NATURAL LOG

EXPONENTS

$$\int e^x dx =$$

$$\int \log_a x dx =$$

$$\int \ln x dx =$$

$$\int a^x dx =$$